## Modern algebra I, spring 2017. Quiz 3

Name:\_\_\_\_\_ UNI: \_\_\_\_\_

Check the boxes that are followed by correct statements.

 $\Box \quad \text{If } \psi: G \longrightarrow H \text{ is a homomorphism and } K \subset G \text{ a subgroup, then } \psi(K) \text{ is a subgroup of } H.$ 

 $\square$  Any subgroup H of  $\mathbb{T}$ , the group of unit complex numbers under multiplication, is normal in  $\mathbb{T}$ .

 $\Box$  Any subgroup of the symmetric group  $S_3$  is normal in  $S_3$ .

 $\Box$  For any two subgroups H, K of a group G, the set

$$HK = \{hk : h \in H, k \in K\}$$

is a subgroup of G.

 $\Box$  Any subgroup H of a group G is the kernel of a homomorphism from G to some group K.

 $\square$  Any homomorphism from  $\mathbb{Z}$  to  $\mathbb{Z}_6$  is surjective.